Weyl Groupoids, Young Diagrams and Borel Subalgebras

Wednesday, July 23, 2025 3:30 PM (1 hour)

Let k be an algebraically closed field of characteristic zero.

Let $\mathring{\mathfrak{g}}$ be the Lie superalgebra $\mathfrak{sl}(n|m)$ and let \mathfrak{T}_{iso} be the groupoid introduced by Sergeev and Veselov with base the set of odd roots of $\mathring{\mathfrak{g}}$.

We show the Cayley graphs for three actions of \mathfrak{T}_{iso} are isomorphic.

These actions originate in quite different ways.

The first arises from Young diagrams contained in a rectangle with n rows and m columns, the second from Borel subalgebras of the affinization $\widehat{L}(\overset{\circ}{\mathfrak{g}})$ of $\overset{\circ}{\mathfrak{g}}$ which are related by odd reflections.

The third action comes from an action of \mathfrak{T}_{iso} on $\mathtt{k}^{n|m}$ defined by Sergeev and Veselov motivated by deformed quantum Calogero-Moser problems.

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